

Reminders: Please **show all your work** neatly on this worksheet.

This should be some of your most careful work!

Name: _____

	<i>Show your work neatly (when relevant).</i>	<i>Copy down your final answer.</i>
1.	Factor completely: $2y^3 - 54$	
2.	Factor completely: $-18x^4 - 33x^3 + 30x^2$	
3.	Factor completely: $8x^3y - 40x^3z + 27y - 135z$	
4.	Solve using the zero factor property: $(m - 3)(m + 2) = -4$	
5.	Solve by factoring: $t^2 - 6t + 9 = 0$	
6.	Solve using the zero factor property: $3x^2 = 15x$	
7.	Solve by factoring: $25x^2 - 81 = 0$	
8.	Find the x-intercepts of the function: $f(x) = 5x^2 + 20x - 60$ Give them as ordered pairs.	
9.	A baseball is hit into the air. The height in feet of the baseball after t seconds is given by the function $h(t) = -16t^2 + 80t + 4$. Find the time it will take for the baseball to be 68 feet in the air.	

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10.	The length a rectangular banner can be described as being 4 feet more than twice the width. <u>Write a function that describes the area in term of the width and then use it to find the width</u> for the rectangular banner that has an area of 30 square feet.	
11.	Write the following in radical form: $x^{3/7}$	
12.	Write the following in exponential form: $\sqrt[5]{(3x + 4)^7}$	
13.	Simplify. Do not use any approximations. Everything is under the radical even if it doesn't look like it. $\sqrt[3]{24x^{10}y^{24}}$	
14.	Simplify. Do not use any approximations. $5\sqrt{20x} - 2\sqrt{45x} + 7\sqrt{5x}$	
15.	Simplify. Do not use any approximations. $(t + \sqrt{3})(t + \sqrt{15})$	
16.	Simplify. Do not use any approximations. $(t - \sqrt{3})(t + \sqrt{3})$	
17.	Simplify. Do not use any approximations. $(4\sqrt{x} + 3)^2$	
18.	Simplify. Write as a single radical expression. $\sqrt[4]{x} \sqrt[5]{x}$	
19.	Rationalize the denominator: $\sqrt{\frac{3}{x}}$	
20.	Rationalize the denominator: $\frac{5x}{\sqrt[3]{x}}$	
21.	Rationalize the denominaor: $\frac{5}{3 + \sqrt{x}}$	